

Lorenz Attractor

File: Ch02_Lorenz.m

The Lorenz system is a well known example of deterministic chaos in a simple set of 3 ordinary differential equations. This example illustrates the use of 3D visualization in understanding the phase plane dynamics of a simple nonlinear system.

Contents

- [Parameters](#)
- [Model Equations](#)
- [Simulation](#)
- [Lorenz Attractor](#)

Parameters

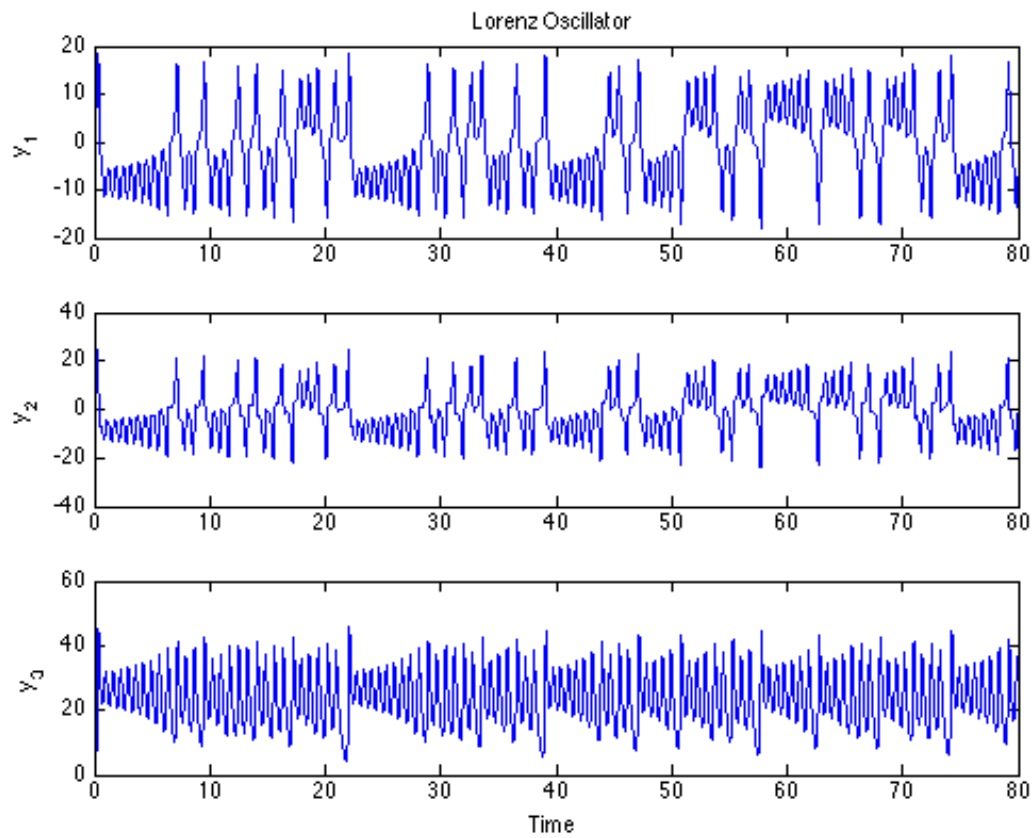
```
sig=10;  
beta=8/3;  
rho=28;
```

Model Equations

```
deriv = @(t,x) [ ...  
    -sig*x(1) + sig*x(2); ...  
    rho*x(1) - x(2) - x(1)*x(3); ...  
    -beta*x(3) + x(1)*x(2)];
```

Simulation

```
[t,y] = ode45(deriv,[0,80],[3 0 5]);  
  
figure(1);clf;  
subplot(3,1,1); plot(t,y(:,1)); ylabel('y_1');  
title('Lorenz Oscillator');  
subplot(3,1,2); plot(t,y(:,2)); ylabel('y_2');  
subplot(3,1,3); plot(t,y(:,3)); ylabel('y_3');  
xlabel('Time');
```



Lorenz Attractor

```
figure(2);clf;
plot3(y(:,1),y(:,2),y(:,3));
grid
title('Lorenz Oscillator');
xlabel('y_1');ylabel('y_2');zlabel('y_3');
```

